

« Map Making for the Extended Emission » Working group

Alain Abergel
IAS, Orsay

Extended emission with SPIRE:

- Most of the GT observations
- Photometer: Mainly large scan maps, but also small maps
- Main problems:
 - “1/f noise”
 - Hot telescope
 - Under-sampling of the PSF
 - Absolute calibration (punctual sources---> extended emission)
 - Non-linearities, which may depend on the angular scales
- Same problems for the FTS + spectral dimension
 - Two modes of observations are under-sampled : “Sparse” and “Intermediate”
 - One fully sample mode

« Map Making for the Extended Emission » Working group

Last meeting, October 11, IAS, Orsay

- Around 20 participants (but late announcement)

Agenda :

- ICC developments for SPIRE (photometer): Pierre Chaniel
- ICC developments for PACS (photometer and spectroscopy): Marc Sauvage
- Bayesian inversion of SPIRE data: François Orieux
- Observing modes for the extended emission : Edward Palehampton

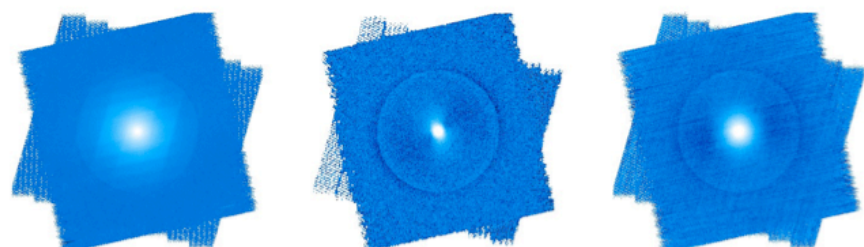
Presentations: http://www.ias.u-psud.fr/spire/index_workshop_11oct2007.html

SPIRE/ICC map making (photometer, scan maps)

Pierre Chanial

- Two pipelines:
 - Standard (co-adding)
 - Maximum likelihood estimator: MADmap
(selected by a review panel in September 2006)

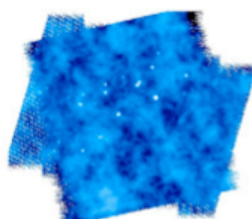
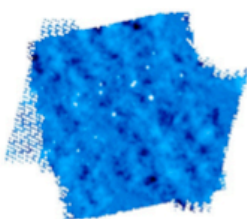
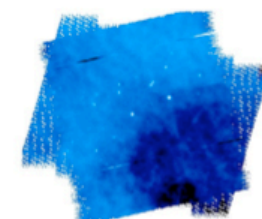
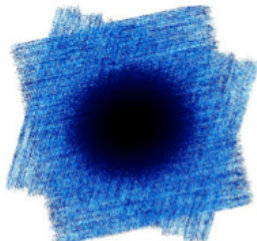
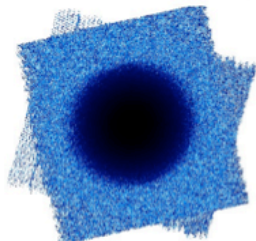
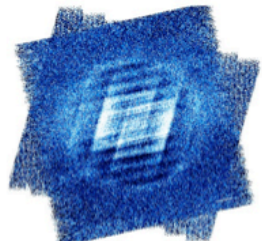
Difficulties: 1/f & extended sources



Fourier Filtering

MOPEX (HF)

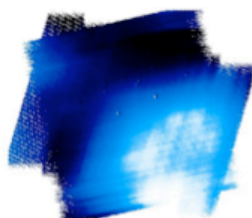
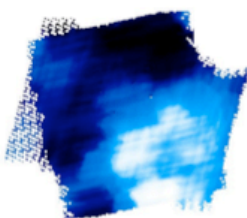
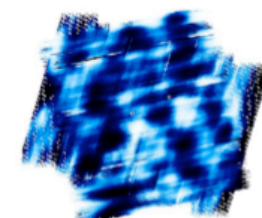
Bolocam



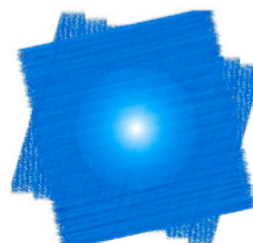
Fourier Filtering

MOPEX (HF)

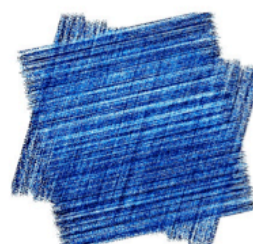
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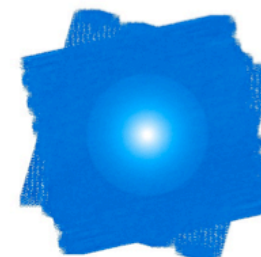
Direct



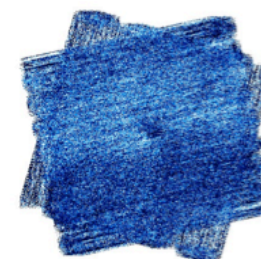
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mJy/pix



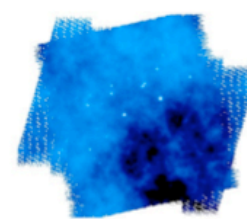
MADmap



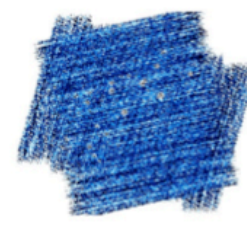
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Direct



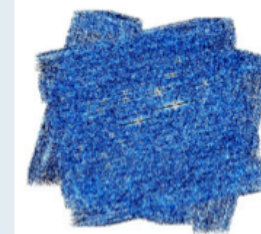
$\sigma = 6.09$
mJy/pix



MADmap

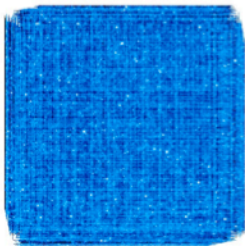


$\sigma = 5.49$

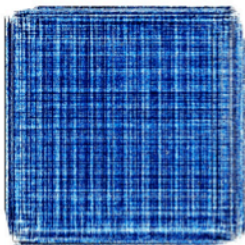


MADmap & Point sources

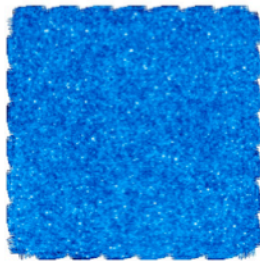
Direct



$\sigma = 0.47$
mJy/pix



MADmap

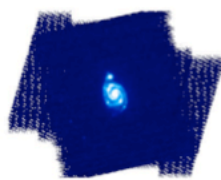


$\sigma = 0.28$

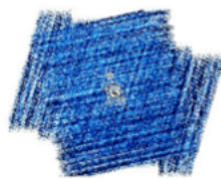


Galaxy

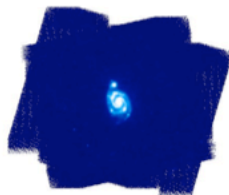
Direct



$\sigma = 13.31$
mJy/pix



MADmap

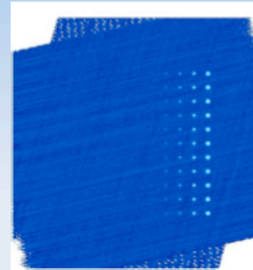


$\sigma = 11.09$

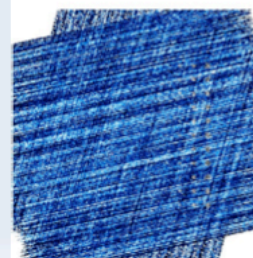


Grid of points

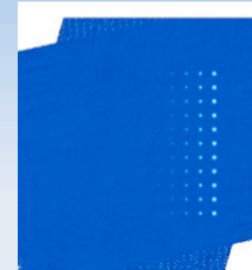
Direct



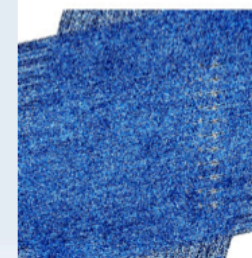
$\sigma = 2.60$
mJy/pix



MADmap



$\sigma = 2.19$





Maximum likelihood estimator: MADmap

Formalism: $d_t = A_{tp} \Delta_p + n_t$

TOD pointing matrix map noise

Classic: $\hat{\Delta} = (\underbrace{A^T A}_{\text{density map}})^{-1} \underbrace{A^T d}_{\text{sum of fluxes}}$

ML: $\hat{\Delta} = (\underbrace{A^T N^{-1} A}_{\text{pixel domain noise covariance matrix}})^{-1} \underbrace{A^T N^{-1} d}_{\text{weighted sum of fluxes}}$

- Take advantage of spatial redundancy and of a noise characterization (the time-time noise covariance matrix $N = \langle nn^T \rangle$) to remove 1/f noise
- For gaussian noise, the resulting map is the max. likelihood map.
- Madmap main job is to invert $A^T N^{-1} A$ (n^2 matrix where $n \sim 10^6$ is the number of observed pixels in the output map)

MADmap : Status and limitations

- **Done:** implementation (instrument independent) and SPIRE interface (also PACS)
- **Residuals:** σ decreased by a factor around 2 compared to the standard algorithm
- It has been shown from MADmap results that **cross-linking is essential** (Wasket et al. 2007)
- To do: compute error maps
- Should give good results for the extended emission

Limitations :

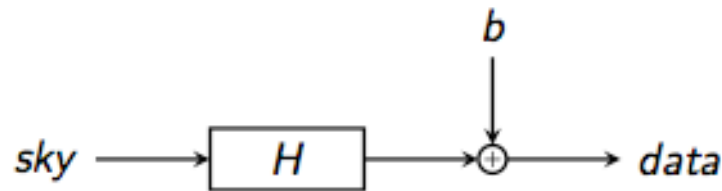
- MAPDmap solves linear equations:
$$\mathbf{data} = \mathbf{P} \mathbf{sky} + \mathbf{noise},$$
 where \mathbf{P} is a pointing Matrix
- Additive noise,
- Gaussian noise and only uncorrelated $1/f$ noise across the array,
the correlated $1/f$ noise and non-gaussian events (glitches) must be removed before using MADmap,
- No deconvolution: reconstruction of the map convolved by the beam and the feedhorn apertures,
- No super-resolution (gain of angular resolution in case of over-sampling of the PSF)
- No correction for non-linearities.

Bayesian inversion of SPIRE data for the extended emission

François Orieux, Laboratoire des Signaux et Systèmes (LSS, SUPELEC) + IAS

Jean-François Giovannelli (LSS), Thomas Rodet (LSS), Alain Abergel (IAS)

Approach : inversion of the instrument



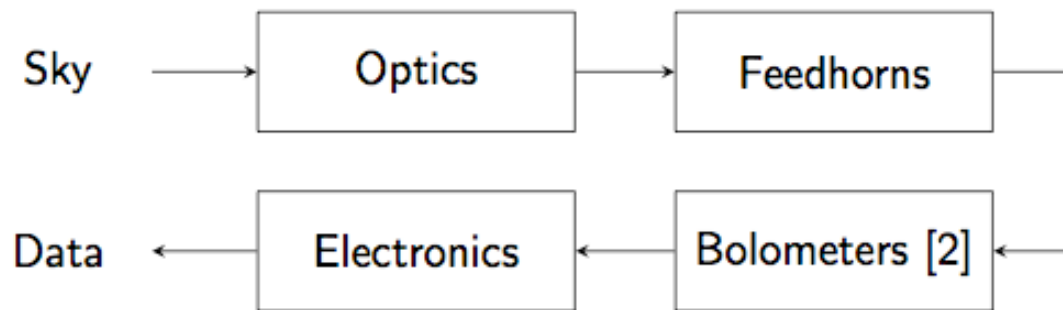
- ▶ Acquisition $data = H(sky) + b$ ↔ MADmap: $data = P \text{ sky} + \text{noise}$,
 P is a pointing matrix
- ▶ H instrument model
- ▶ b errors of measurement / modeling

⇒ **Estimate** sky given $data$: $\hat{sky} = \Psi(data)$

Instrument model

Objectives

- ▶ Explain the data (information, physical effects,...)
- ▶ Realistic
- ▶ Fast



- ▶ Optics (well known)
 - ▶ Linear response : Airy disc
 - ▶ Emissive telescope (**still open**)
- ▶ Feedhorns (well known)
 - ▶ Spatial sensor integration
 - ▶ Gaussian window
- ▶ Bolometer (working on)
 - ▶ Linear or non-linear model
 - ▶ Thermal drift of the system
 - ▶ Influence of cosmic ray
- ▶ Electronics (still open)
 - ▶ influence on the bolometer system

Bayesian estimation

Using probabilities [1]

Posterior law :

$$p(\textcolor{red}{sky}|\textcolor{blue}{data}) = \frac{p(\textcolor{blue}{data}|\textcolor{red}{sky})p(\textcolor{red}{sky})}{p(\textcolor{blue}{data})} \begin{cases} \textcolor{red}{sky} & \text{unknown} \\ \textcolor{blue}{data} & \text{given (data)} \end{cases}$$

1. Instrument model $\Rightarrow data = H(sky) + b$
2. Noise law \Rightarrow likelihood $p(data|sky)$
3. Prior law $\Rightarrow p(sky)$

Choice of a point estimate

- ▶ Maximum
- ▶ Mean

¹G. Demoment, « Image Reconstruction and restoration : Overview of common estimation structure and problems. », *IEEE Trans. ASSP*, 1989.

Computation of the estimator

- ▶ **Maximum a posteriori**

$$\hat{sky}_{MAP} = \arg \max_{sky} p(sky|data) = \arg \min_{sky} J(sky)$$

- ▶ Simple model :

$$J(sky) = ||data - H(sky)||^2 \text{ give a stable solution}$$

- ▶ More realistic model :

$$J(sky) = ||data - H(sky)||^2 + \lambda ||D(sky)||^2 \text{ needed}$$

- ▶ Computation : gradient descent, ...

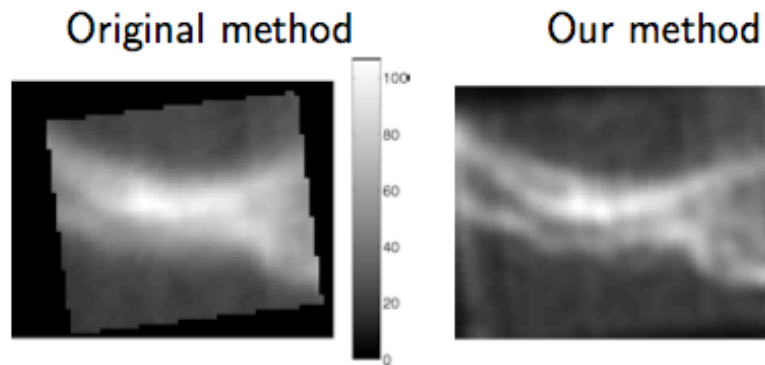
- ▶ **Mean a posteriori**

$$\hat{sky}_{EAP} = E_{sky|data}[sky] = \int_{sky} sky \ p(sky|data) dsky$$

- ▶ Symmetrical law : $\hat{sky}_{MAP} = \hat{sky}_{EAP}$
- ▶ Computation : Laplace, MCMC, ...

Example and work to be done for SPIRE

- Inversion of IRS/Spitzer data (Rodet et al., in prep.)



- Model instrument
- Prior information
(e.g., high frequency content of the sky)
- Global approach

Deblurring (deconvolution)

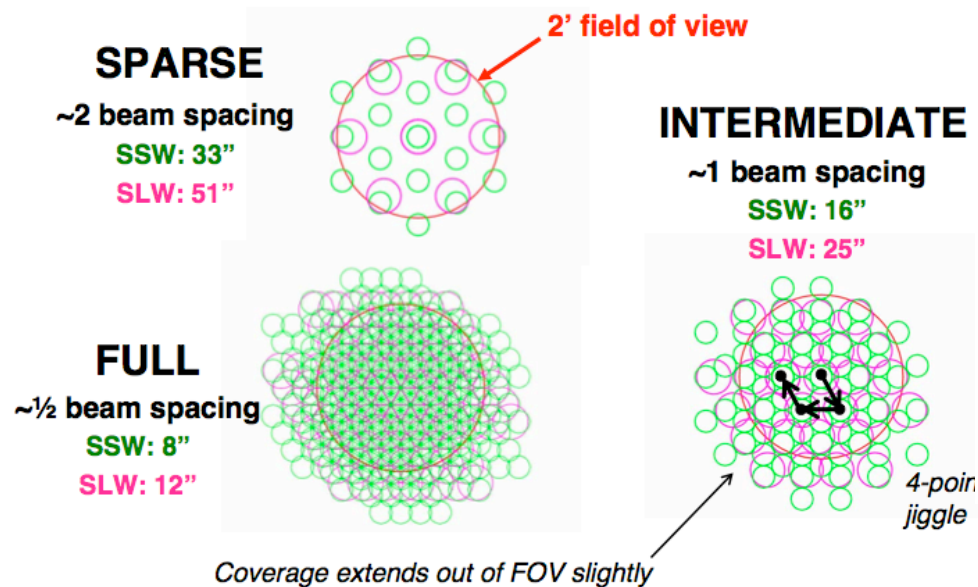
Super-resolution (in case of over-sampling)

- To be done for the photometer of SPIRE:
 - Instrument model (almost done)
 - Bayesian estimator (on going)
 - Inversion of simulated data
 - Validation
 - Pipeline

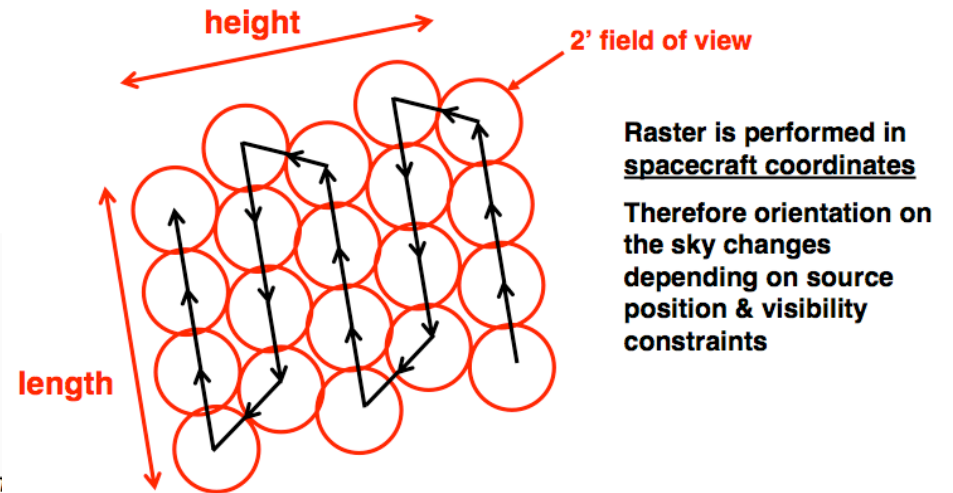
Mapping with the SPIRE Spectrometer

Edward Polehampton

Spatial sampling



Rastering



- Data products:
- Level 1: List of spectra for all single pixels
 - Level 2: gridded spectral cubes ?

The Full sampled data should contain all information to compute gridded spectral cubes (except a hole due to 1 dead pixel, SSW-D5)

Conclusions

SPIRE Photometer

- One powerful tool developed within the ICC (MADMAP)
 - Version 1.0 in March 2008
- Promising tool based on the inversion of an instrument model
 - First tests for simulated SPIRE data: mid-2008
 - New pipeline for scan maps: early/mid 2009
 - Could also be adapted for small maps, and (maybe) the FTS

Other important aspect: Photometric calibration for the extended emission